## **Development of intelligent systems** (**RInS**)

## **Colours**

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Literature: W. Burger, M. J. Burge (2008). Digital Image Processing, chapter 12

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## **Colour images**



## **Colour images**

 Sometimes colours include meaningful information!









## **RGB colour images**

- RGB colour scheme encodes colours as combinations of three basics colours: red, green and blue
- Very frequently used
- Additive colour system



## **RGB colour space**

• Every colour is a point in the 3D RGB space

 $\mathbf{C}_i = (R_i, G_i, B_i)$ 



RGB Value									
Point	Color	R	G	B					
S	Black	0.00	0.00	0.00					
$\mathbf{R}$	Red	1.00	0.00	0.00					
Y	Yellow	1.00	1.00	0.00					
G	Green	0.00	1.00	0.00					
$\mathbf{C}$	Cyan	0.00	1.00	1.00					
в	Blue	0.00	0.00	1.00					
$\mathbf{M}$	Magenta	1.00	0.00	1.00					
W	White	1.00	1.00	1.00					
K	$50\%~{\rm Gray}$	0.50	0.50	0.50					
$\mathbf{R}_{75}$	75% Red	0.75	0.00	0.00					
$\mathbf{R}_{50}$	50% Red	0.50	0.00	0.00					
$\mathbf{R}_{25}$	$25\% { m Red}$	0.25	0.00	0.00					
Р	Pink	1.00	0.50	0.50					

#### **RGB channels**



stellisent systems. Colour

### **Conversion to grayscale images**

• Simple conversion:

$$Y = \operatorname{Avg}(R, G, B) = \frac{R + G + B}{3}$$

 Human eye perceives red and green as brighter than blue, hence we can use the weighted average:

$$Y = \text{Lum}(R, G, B) = w_R \cdot R + w_G \cdot G + w_B \cdot B$$
$$w_R = 0.299 \qquad w_G = 0.587 \qquad w_R = 0.114$$

$$w_R = 0.233$$
  $w_G = 0.367$   $w_B = 0.114$   
 $w_R = 0.2125$   $w_G = 0.7154$   $w_B = 0.072$ 

Grayscale RGB images have all three components equal:

$$R = G = B \qquad \begin{pmatrix} R' \\ G' \\ B' \end{pmatrix} \leftarrow \begin{pmatrix} Y \\ Y \\ Y \end{pmatrix}$$

# **HSV colour space**

Hue, Saturation, Value



m RGB/HSV Values										
Pt.	Color	R	G	B	H	S	V			
$\mathbf{S}$	Black	0.00	0.00	0.00		0.00	0.00			
$\mathbf{R}$	Red	1.00	0.00	0.00	0	1.00	1.00			
Y	Yellow	1.00	1.00	0.00	1/6	1.00	1.00			
G	Green	0.00	1.00	0.00	2/6	1.00	1.00			
С	Cyan	0.00	1.00	1.00	3/6	1.00	1.00			
в	Blue	0.00	0.00	1.00	4/6	1.00	1.00			
$\mathbf{M}$	Magenta	1.00	0.00	1.00	5/6	1.00	1.00			
W	White	1.00	1.00	1.00		0.00	1.00			
$\mathbf{R}_{75}$	75% Red	0.75	0.00	0.00	0	1.00	0.75			
$\mathbf{R}_{50}$	50% Red	0.50	0.00	0.00	0	1.00	0.50			
$\mathbf{R}_{25}$	$25\% { m Red}$	0.25	0.00	0.00	0	1.00	0.25			
Р	Pink	1.00	0.50	0.50	0	0.5	1.00			

## **HSV channels**



 $H_{\rm HSV}$ 



 $V_{\rm HSV}$ 

### **Conversion from RGB to HSV**

$$C_{\text{high}} = \max(R, G, B) \quad C_{\text{low}} = \min(R, G, B) \quad C_{\text{rng}} = C_{\text{high}} - C_{\text{low}}$$

$$S_{\text{HSV}} = \begin{cases} \frac{C_{\text{rng}}}{C_{\text{high}}} & \text{for } C_{\text{high}} > 0 \\ 0 & \text{otherwise} \end{cases}$$

$$V_{\text{HSV}} = \frac{C_{\text{high}}}{C_{\text{max}}} 255$$

$$R' = \frac{C_{\text{high}} - R}{C_{\text{rng}}} \quad G' = \frac{C_{\text{high}} - G}{C_{\text{rng}}} \quad B' = \frac{C_{\text{high}} - B}{C_{\text{rng}}}$$

$$H' = \begin{cases} B' - G' & \text{if } R = C_{\text{high}} \\ R' - B' + 2 & \text{if } G = C_{\text{high}} \\ G' - R' + 4 & \text{if } B = C_{\text{high}} \end{cases}$$

$$H_{\text{HSV}} = \frac{1}{6} \cdot \begin{cases} (H' + 6) & \text{for } H' < 0 \\ H' & \text{otherwise} \end{cases}$$

## Algorithm

```
static float[] RGBtoHSV (int R, int G, int B, float[] HSV) {
      // R, G, B \in [0, 255]
\mathbf{2}
      float H = 0, S = 0, V = 0;
3
      float cMax = 255.0f;
4
      int cHi = Math.max(R,Math.max(G,B)); // highest color value
5
      int cLo = Math.min(R,Math.min(G,B)); // lowest color value
6
      int cRng = cHi - cLo;
                                     // color range
7
8
      // compute value V
9
      V = cHi / cMax;
10
11
      // compute saturation S
12
      if (cHi > 0)
13
        S = (float) cRng / cHi;
14
15
      // compute hue H
16
      if (cRng > 0) { // hue is defined only for color pixels
17
        float rr = (float)(cHi - R) / cRng;
18
        float gg = (float)(cHi - G) / cRng;
19
        float bb = (float)(cHi - B) / cRng;
20
        float hh;
21
        if (R == cHi)
                                          // R is highest color value
22
          hh = bb - gg;
23
        else if (G == cHi)
                                          // G is highest color value
24
          hh = rr - bb + 2.0f;
25
                                          // B is highest color value
        else
26
          hh = gg - rr + 4.0f;
27
        if (hh < 0)
28
29
          hh = hh + 6;
        H = hh / 6;
30
      }
31
32
      if (HSV == null) // create a new HSV array if needed
33
        HSV = new float[3];
34
      HSV[0] = H; HSV[1] = S; HSV[2] = V;
35
      return HSV;
36
37 }
```

#### **Conversion from HSV to RGB**

 $H' = (6 \cdot H_{\rm HSV}) \bmod 6$ 

$$c_{1} = \lfloor H' \rfloor \qquad x = (1 - S_{\text{HSV}}) \cdot v$$

$$c_{2} = H' - c_{1} \qquad y = (1 - (S_{\text{HSV}} \cdot c_{2})) \cdot V_{\text{HSV}}$$

$$z = (1 - (S_{\text{HSV}} \cdot (1 - c_{2}))) \cdot V_{\text{HSV}}$$

$$(R', G', B') = \begin{cases} (v, z, x) & \text{if } c_{1} = 0 \\ (y, v, x) & \text{if } c_{1} = 1 \\ (x, v, z) & \text{if } c_{1} = 2 \\ (x, y, v) & \text{if } c_{1} = 3 \end{cases}$$

$$(z, x, v)$$
 if  $c_1 = 4$   
 $(v, x, y)$  if  $c_1 = 5$ .

$$R = \min(\operatorname{round}(N \cdot R'), N - 1)$$

$$G = \min(\operatorname{round}(N \cdot G'), N - 1)$$

$$B = \min(\operatorname{round}(N \cdot B'), N - 1)$$





## **Other colour spaces**

- HLS
- TV colour spaces
  - YUV
  - YIQ
  - YCbCr
- Colour spaces for print
  - CMY
  - CMYK
- Colorimetric colour spaces
  - CIE XYZ
  - CIE YUV, YU'V', L\*u\*v, YCbCr
  - CIE L\*a\*b\*
  - sRGB

## **3D colour histograms**

- 3 components -> 3D histogram
  - High space complexity, "sparse"



# **1D colour histograms**

- 1 D histograms of the individual components
- Do not model correlations between individual colour components



## **2D colour histograms**

- Calculate pairs of 2D histograms
  - Encompass at least a partial correlation between the individual components

$$H_{\mathrm{RG}}(r,g) \leftarrow \text{number of pixels with } I_{\mathrm{RGB}}(u,v) = (r,g,*)$$
  
 $H_{\mathrm{RB}}(r,b) \leftarrow \text{number of pixels with } I_{\mathrm{RGB}}(u,v) = (r,*,b)$   
 $H_{\mathrm{GB}}(g,b) \leftarrow \text{number of pixels with } I_{\mathrm{RGB}}(u,v) = (*,g,b)$ 

 $H_{\rm RG}$ W W Β Β  $\mathbf{S}$ S  $H_{\rm GB}$  $H_{\rm RB}$ R R

# **Algorithm**

```
static int[][] get2dHistogram
1
                   (ColorProcessor cp, int c1, int c2) {
 \mathbf{2}
      // c1, c2: R = 0, G = 1, B = 2
 3
       int[] RGB = new int[3];
 4
       int[][] H = new int[256][256]; // histogram array H[c1][c2]
 5
 6
       for (int v = 0; v < cp.getHeight(); v++) {</pre>
 \overline{7}
         for (int u = 0; u < cp.getWidth(); u++) {</pre>
 8
           cp.getPixel(u, v, RGB);
 9
           int i = RGB[c1];
10
           int j = RGB[c2];
11
           // increment corresponding histogram cell
12
           H[j][i]++; // i runs horizontal, j runs vertical
13
         }
14
       }
15
       return H;
16
17
     }
```

#### **Original Images**

## **Examples**



Red-Green Histograms  $(R \rightarrow, G \uparrow)$ 



Red-Blue Histograms  $(R \rightarrow, B \uparrow)$ 



Green-Blue Histograms  $(G \rightarrow, B \uparrow)$ 



# **Object colours**

- Rings of different colours
- Cylinders of different colours









# **Colour recognition**

- Detect and segment the object
  - in 2D or 3D
- Modelling colours
  - Probability distribution
  - Gaussian, mixture of Gaussians
- Train a classifier
  - SVM, ANN, kNN,...
- In 1D, 2D or 3D space
- RGB, HSV and other colour spaces
- Working with the individual pixels or histograms
- Working with images



